



Content Creation Competition and Incentive Design

Fan Yao

Department of Computer Science

University of Virginia

Overview

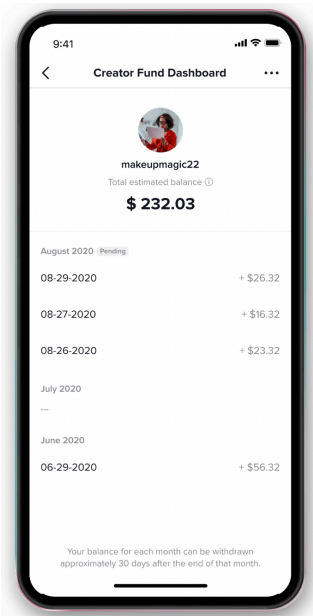


- A framework for modeling strategic content creation in online recommender platforms
- Diagnostic results
 - *“How bad is top-K Recommendation”* [Yao et al., ICML23]
- Prescriptive solutions
 - *“Rethinking Incentives in Recommender Systems”* [Yao et al., Neurips23])
 - *“User Welfare Optimization with Competing Content Creators”* [In submission])



Market: booming of content creation economy

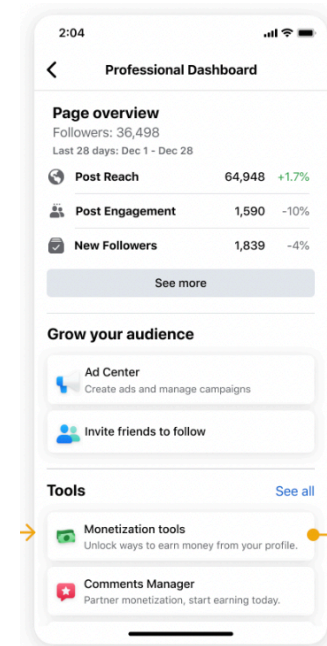
- Content creation and marketing industry exceeds 600 billion USD and is estimated to grow 16%+ annually between 2023-2028 [T23]
- Major content recommendation platforms now encourage creators to monetize directly



TikTok Creator Fund Program



YouTube Partner Program



Meta Reel Ads Program

Creator: evidence of strategic creation

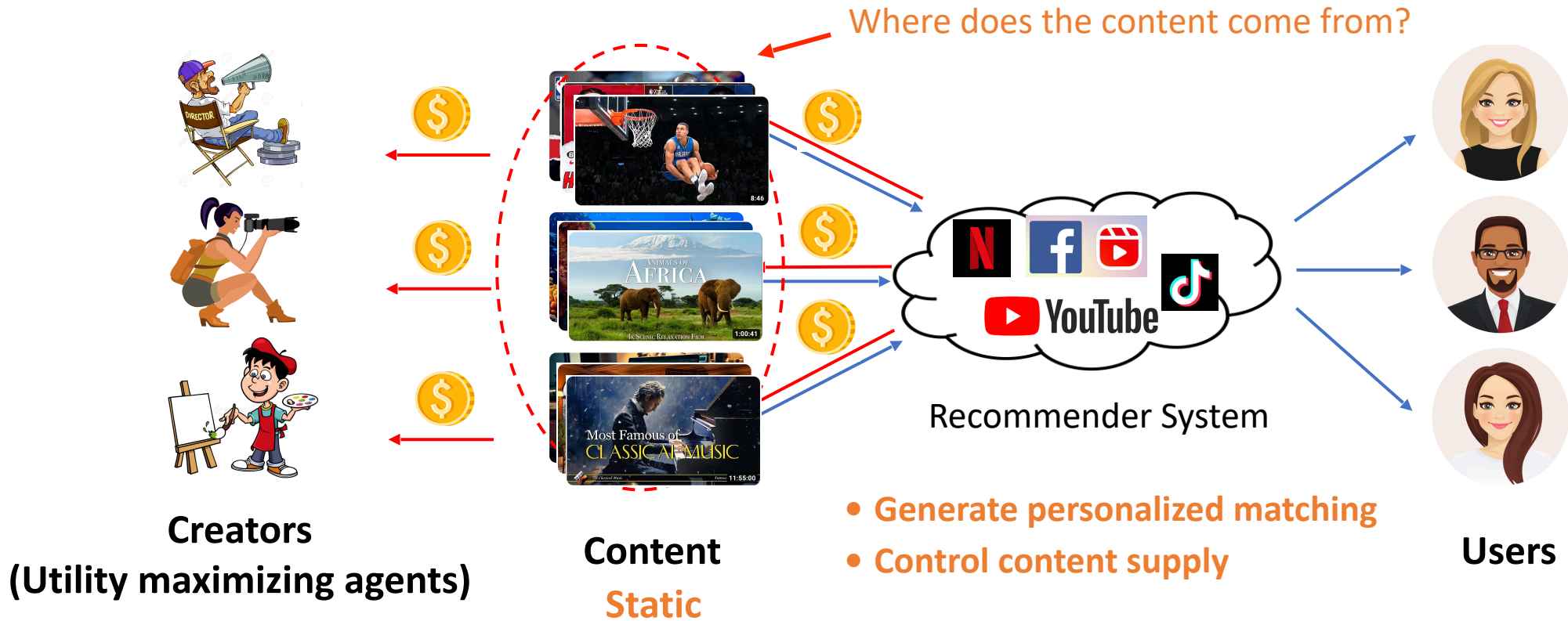
- When YouTube's algorithm uses view duration to evaluate the video quality, creators made longer videos [MC23]
- When Instagram poses minimum requirement for monetization program, creators create fake followers and traffics.



Background



Challenge for recommender systems (RS)

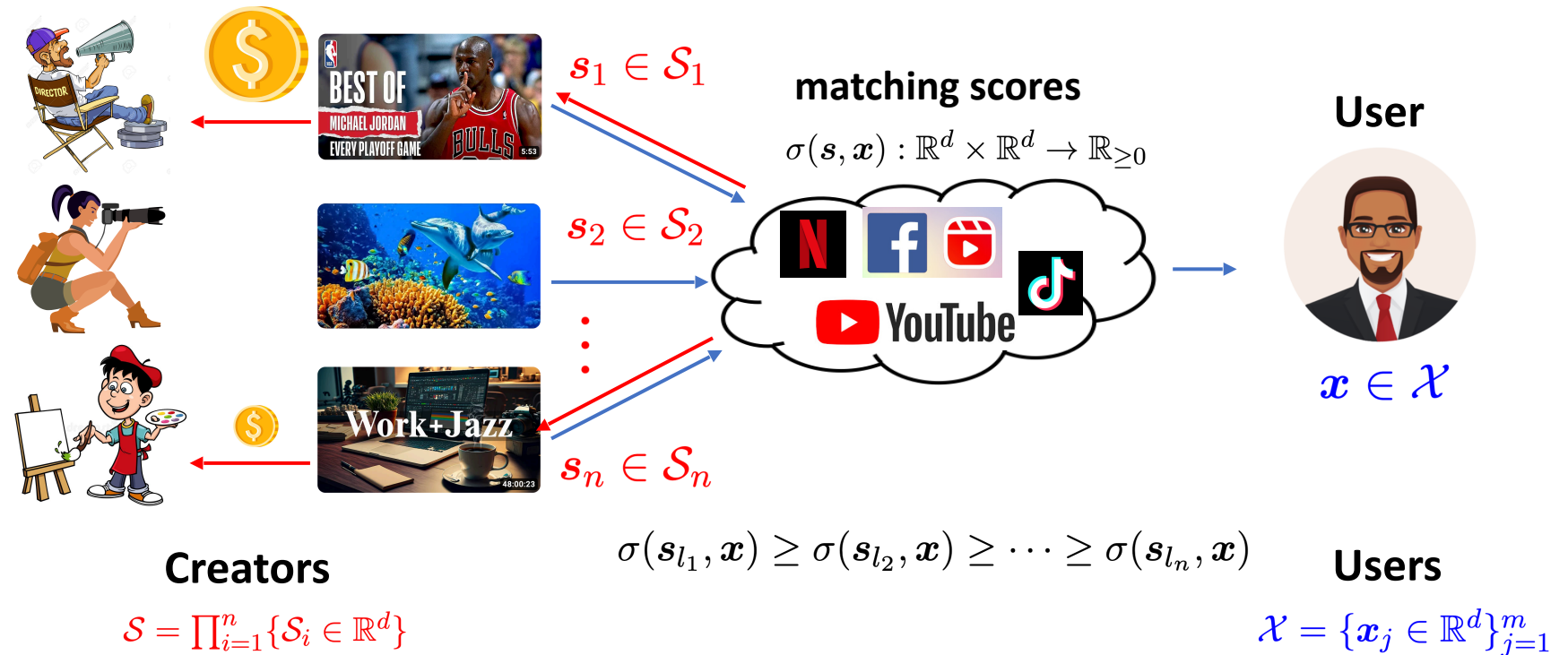


How can RS optimize user experience in such a strategic environment?

Model overview of Competing Content Creation (C³)

- At each time step

- Creators choose production strategies
- RS observes content pool and retrieve **top-K** for each user
- RS rewards creators based on user feedback
- Creators receive their utilities and update strategies according to certain learning principle



Formulation of C^3 — creator behavior

- The principle creators take to update strategies

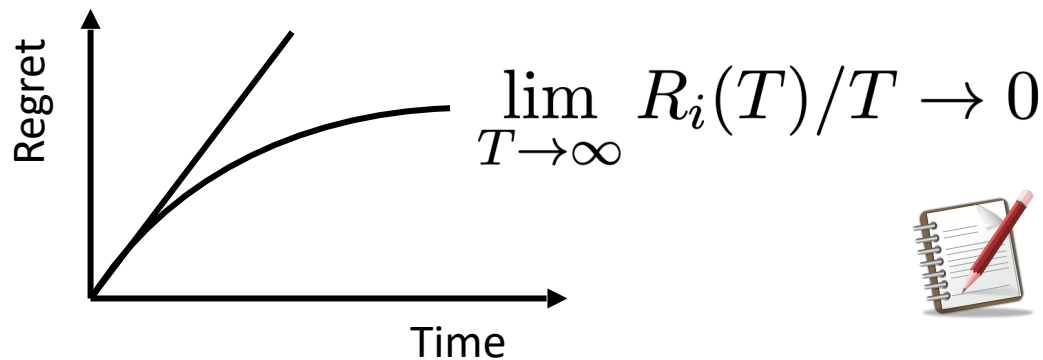
- **No-regret learning**: trial-and-error for improving his/her utility

Joint distribution of strategies at time t

$$R_i(T) = \max_{\mathbf{s}'_i} \sum_{t=1}^T \mathbb{E}_{\mathbf{s}_{-i} \sim \alpha^t_{-i}} [u_i(\mathbf{s}'_i, \mathbf{s}_{-i})] - \sum_{t=1}^T \mathbb{E}_{\mathbf{s} \sim \alpha^t} [u_i(\mathbf{s})]$$

Best achievable utility for creator i

What creator i actually achieved



Various efficient algorithms realize this goal in our game setting, e.g., EXP3, mirror decent, follow the regularized leader.

Formulation of C^3 — user behavior

- User's choice model
 - **Random utility model** [Manski77]

$$\sigma(s_1, x) = 0.9$$



Content utility in user's eye

$$\sigma(s_1, x) + \varepsilon_1$$

$$\sigma(s_2, x) = 0.6$$



$$\sigma(s_3, x) = 0.7$$



$$\sigma(s_3, x) + \varepsilon_3$$

User



$$x \in \mathcal{X}$$

User's choice

$$i^* = \arg \max_{s_l \in \mathcal{T}_x} \{\sigma(s_l, x) + \varepsilon_l\}$$

User's expected utility

$$\pi_x(s) = \mathbb{E}_{\{\varepsilon_i\}} \left[\max_{s_l \in \mathcal{T}_x} \{\sigma(s_l, x) + \varepsilon_l\} \right]$$

Total user welfare

$$W(s) \triangleq \sum_{x \in \mathcal{X}} \pi_x(s)$$

Recommended top-K Slot

$$\mathcal{T}_x = \{s_1, s_3\}$$

These are random due to the Gumbel noise $\{\varepsilon_i\}$

Formulation of C^3 — platform metrics

- Creator's utility

- Engagement metric:

Engagement: traffic weighed by user satisfaction.

$$u_i(\mathbf{s}) \triangleq \mathbb{E}_{\mathbf{x} \in \mathcal{X}, \{\varepsilon\}} \left[(\sigma(\mathbf{s}_i, \mathbf{x}) + \varepsilon) \cdot \mathbb{I}[\mathbf{x} \text{ visits the creator } i] \right]$$

- Social welfare:

$$W(\mathbf{s}) \triangleq \sum_{\mathbf{x} \in \mathcal{X}} \pi_{\mathbf{x}}(\mathbf{s}) = \sum_{i=1}^n u_i(\mathbf{s})$$



Whether the competition dynamics converge to good/bad outcome?

Main result



Theorem 1 In C^3 , if creators generate content via *any* no-regret learning algorithm, we have

$$PoA(\mathcal{G}) < 1 + \left(1 + \frac{n}{\beta \log K} \cdot \frac{R(T)}{T} \right) \cdot \frac{1}{c(\beta, K)}$$

← goes to zero because of no-regret learning

where

$$c(\beta, K) \sim 1 + (1 + \beta) \log K .$$

↑ Recommendation slots
↑ User decision noise

Metric: Price of Anarchy (PoA)

$$PoA(\mathcal{G}) = \frac{\max_{\mathbf{s} \in \mathcal{S}} W(\mathbf{s})}{\frac{1}{T} \sum_{t=1}^T \mathbb{E}_{\mathbf{s} \sim \alpha^t} [W(\mathbf{s})]}$$

← Maximum possible welfare

← Accumulated total welfare



Main result

- PoA of C^3 is upper bounded by

$$PoA(\mathcal{G}) < 1 + \frac{1}{1 + \Omega(\beta \log K)}$$

- Less than 50% loss of efficiency for top- K RS!

$$PoA(\mathcal{G}) < 2, \forall \beta > 0, K \geq 1$$

- Larger recommendation slots/explorative user behavior lead to better welfare!

$PoA \searrow$ as $K \nearrow$

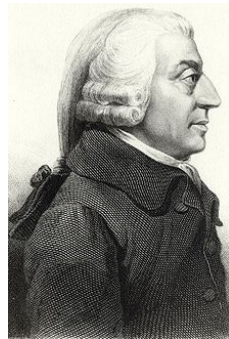
$PoA \searrow$ as $\beta \nearrow$

- The bound is tight

$$PoA(\mathcal{G}_0) > 1 + \frac{1}{1 + \mathcal{O}(\beta \log K)}$$

Top-K RS is not too bad, but only when...

- The welfare loss is upper bounded by $O(1/\log K)$.



Content creators

“They are led by *an invisible hand* to make nearly the same distribution of the necessaries of life... thus without intending it, without knowing it, advance the interest of the society, and afford means to the multiplication of the species.”

-- Adam Smith, *The Theory Of Moral Sentiments*, 1759

- Creators follow **no-regret learning**
- Platform provides **right incentives**



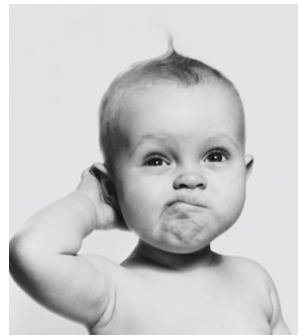
Right incentive matters

- Our results are based on engagement-based utility functions:

$$u_i(\mathbf{s}) = \sum_{l=1}^m \frac{\mathbb{E}_{\{\varepsilon_i\}} [\sigma(\mathbf{s}_i, \mathbf{x}_l) + \varepsilon_i | \mathbf{x}_l \rightarrow \mathbf{s}_i]}{\text{User's engagement/satisfaction}} \cdot \frac{\text{Pr}[\mathbf{x}_l \rightarrow \mathbf{s}_i]}{\text{Content's exposure}}$$

- There are also systems rewarding creators only by exposure [Savy19]

$$u_i(\mathbf{s}) = \sum_{l=1}^m \text{Pr}[\mathbf{x}_l \rightarrow \mathbf{s}_i]$$



Is it also not too bad?

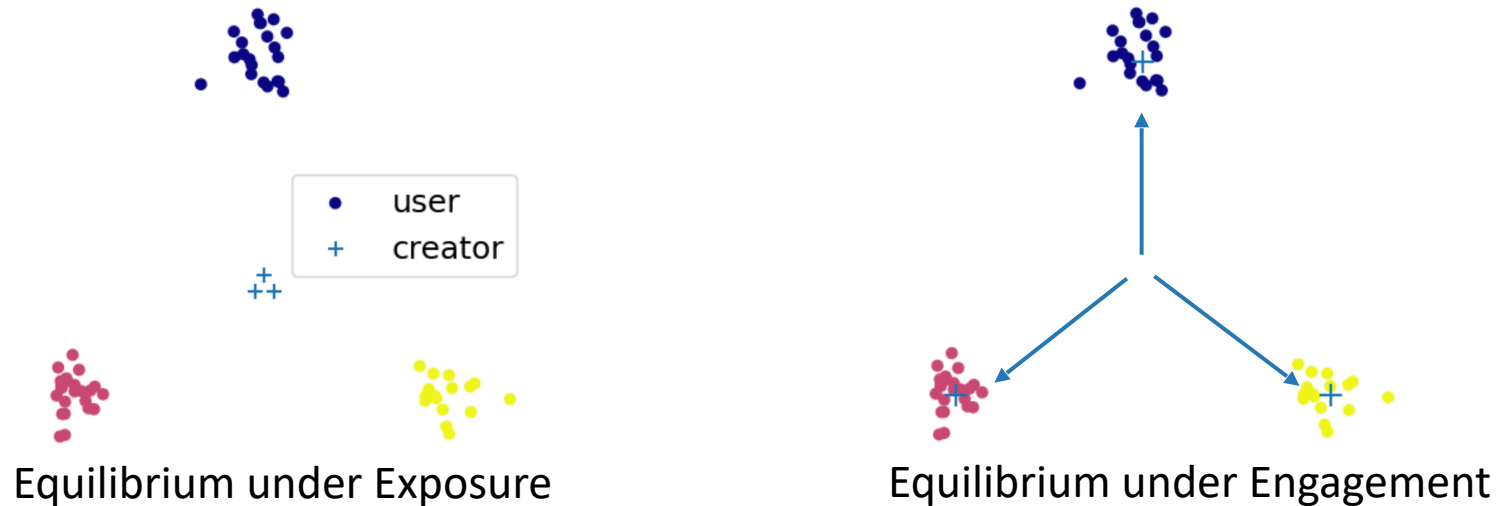
NO!

Exposure metrics can be bad



Prop 1. If creators' utilities in C^3 are set to be **exposure-based**, in the worse case it could happen that

$$\frac{\text{Accumulated total welfare}}{\text{Maximum possible welfare}} < \frac{1}{2}$$



$$\sigma(\mathbf{s}, \mathbf{x}) \propto 1 - \|\mathbf{s} - \mathbf{x}\|_2$$

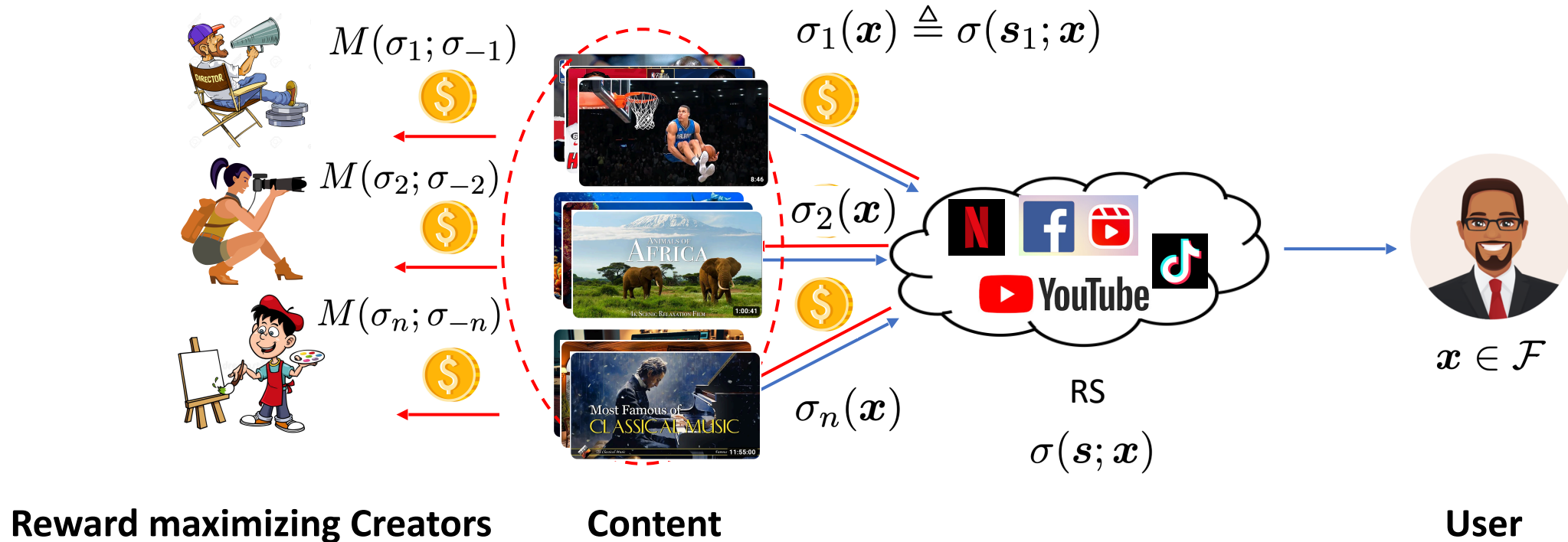
Further improvement

- What we learned from the diagnostic result:
 - Top- K recommender is not too bad ($O(1/\log K)$ welfare loss)
 - Rewarding creators by engagement is better than by exposure.
- Can the platform design better rewarding mechanisms to make up the $O(1/\log K)$ fraction of loss?



New question: incentive design of RS in C^3

- Platform designs the reward (incentive) for creators



RS designs the Rewarding Mechanism M !

Generalized C3 with multi-choices



- Measure the *expected* user satisfaction in a session *using position bias*



r_1



Click



r_2



r_3



Click



r_4



r_5



r_6



Click



$x \in \mathcal{F}$

$$W(\mathbf{s}; \mathbf{x}) = \sum_{k=1}^n r_k \sigma_{l(k)}(\mathbf{x})$$

Generalized social welfare definition



- User welfare:

$$W(\mathbf{s}; \mathbf{x}) = \sum_{k=1}^n r_k \sigma_{l(k)}(\mathbf{x})$$

- Creator utilities:

$$u_i(\mathbf{s}) = \mathbb{E}_{\mathbf{x} \in \mathcal{F}}[M(\sigma_i(\mathbf{x}); \sigma_{-i}(\mathbf{x}))] - c_i(\mathbf{s}_i), \forall i \in [n]$$

- Social welfare:

User welfare + Creator utilities - Platform cost



$$\begin{aligned} W(\mathbf{s}; \{r_k\}) &= \mathbb{E}_{\mathbf{x} \sim \mathcal{F}}[W(\mathbf{s}; \mathbf{x})] + \sum_{i=1}^n u_i(\mathbf{s}) - \sum_{i=1}^n \mathbb{E}_{\mathbf{x} \sim \mathcal{F}}[M(\sigma_i(\mathbf{x}); \sigma_{-i}(\mathbf{x}))] \\ &= \mathbb{E}_{\mathbf{x} \sim \mathcal{F}}[W(\mathbf{s}; \mathbf{x})] - \sum_{i=1}^n c_i(\mathbf{s}_i). \end{aligned}$$

Welfare maximization impossibility



Theorem 2 Any rewarding mechanism M that satisfies both **individual-monotone** and **group-monotone** necessarily suffers at least $1/K$ fraction of welfare loss at the equilibrium in the worst case.

- The new result indicates that for a broader class of rewarding mechanisms,

$$PoA(\mathcal{G}_0) > 1 + \frac{1}{1 + K}$$

- Which extended our previous result

$$PoA(\mathcal{G}_0) > 1 + \frac{1}{1 + \mathcal{O}(\log K)}$$

for the engagement-based rewarding mechanism.

Welfare maximization impossibility



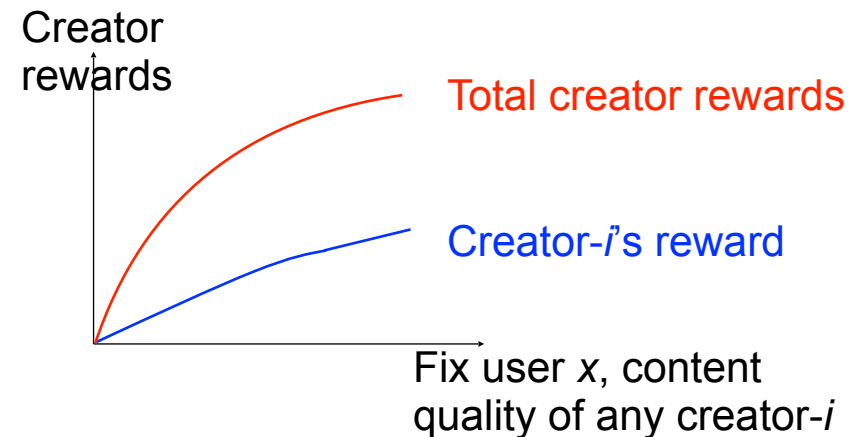
Theorem 2 [Informal]. Any rewarding mechanism M that satisfies both **individual-monotone** and **group-monotone** necessarily suffers at least $1/K$ fraction of welfare loss at the equilibrium.

- Individual-monotone
 - Fix user x , for **each creator- i** , higher matching score yields **higher reward**.
- Group-monotone
 - Fix user x , for **all creators** who have chance to be exposed to user x , increased matching score of any creator- i yields a **higher collective reward**.

- Many natural rewarding mechanisms satisfy both properties, e.g.,



- (Vanilla) $M(\sigma_i; \sigma_{-i}) \propto \sigma_i$
- Total user exposure traffic
- Total user engagement



Welfare maximization impossibility



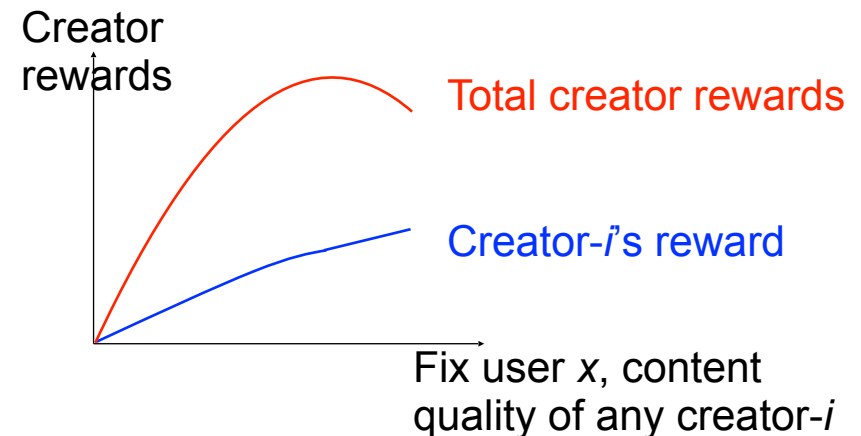
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- Individual-monotone ✓
 - Fix user x , for **each creator- i** , higher matching score yields **higher reward**.
- Group-monotone ✗
 - Fix user x , for **all creators** who have chance to be exposed to user x , increased matching score of any creator- i yields a **higher collective reward**.

- We drop group-monotonicity to overcome the limitation



- Group-monotonicity is generally not satisfied in free markets, e.g., monopoly vs duopoly

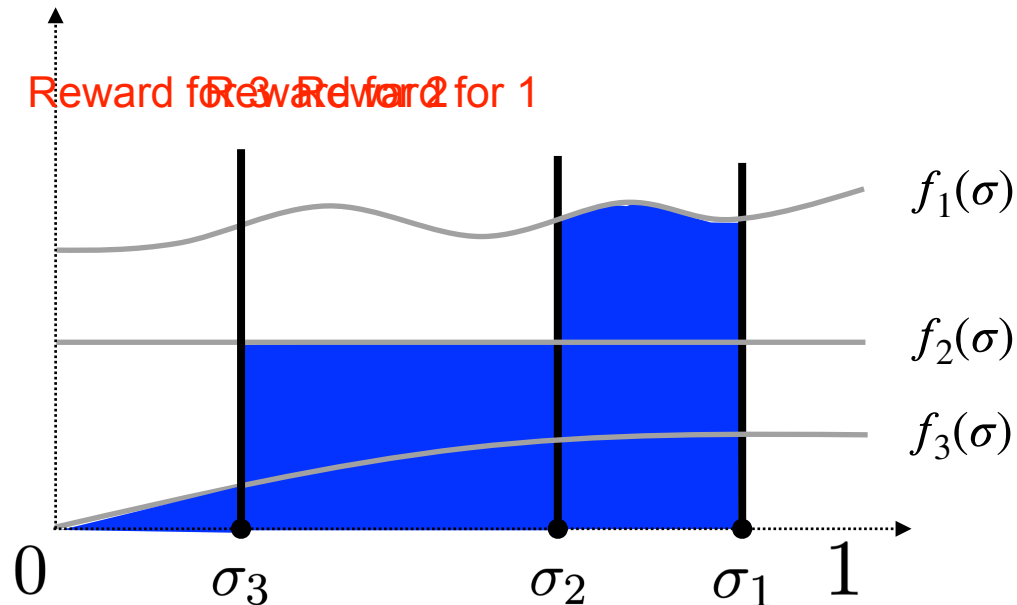


Solution: Backward Rewarding Mechanism (BRM)

We design **BRM**, a class of rewarding mechanisms that provably achieves optimal welfare. Each instance of BRM is parameterized by a sequence of Riemann integrable functions

$$\{f_i(t) : [0, 1] \rightarrow \mathbb{R}_{\geq 0}\}_{i=1}^n, \text{ s.t. } f_1(t) \geq \dots \geq f_n(t)$$

- Key idea: reward based on how much you are better than the next
 - Mechanism fully described by a set of functions
 - Reward = area of ■



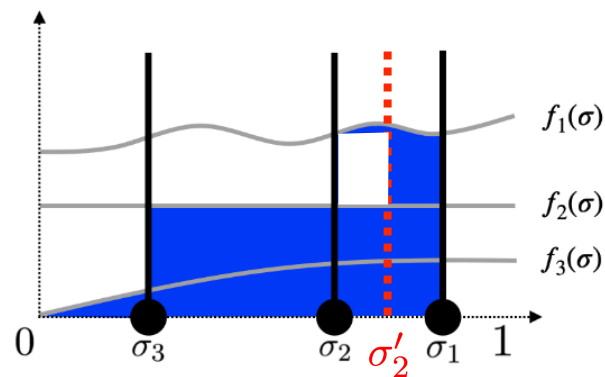
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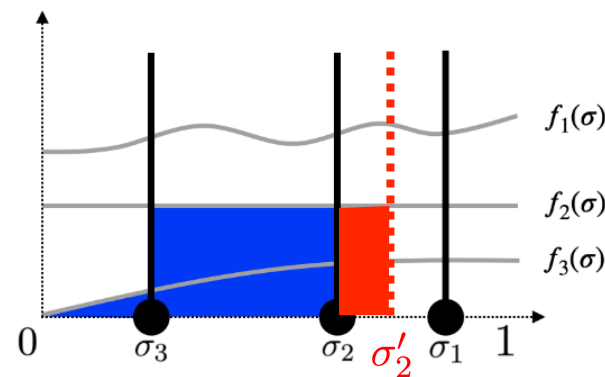
$$\{f_i(t) : [0, 1] \rightarrow \mathbb{R}_{\geq 0}\}_{i=1}^n, \text{ s.t. } f_1(t) \geq \dots \geq f_n(t)$$

- Advantages

- Compatible with the top- K matching principle when setting $f_{K+1} = \dots = f_n = 0$
- Naturally satisfies individual-monotone
- σ_i 's reward decreases when σ_{i+1} 's reward increases (competition reduces rewards)

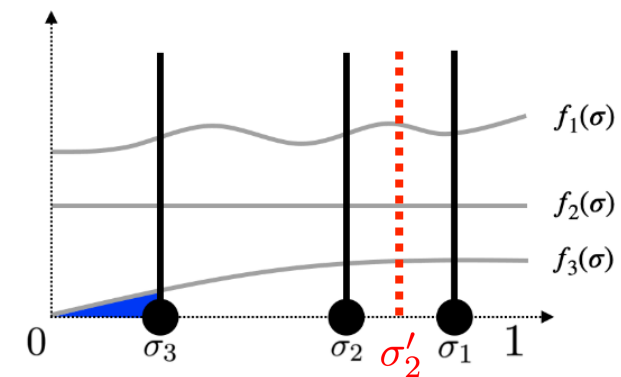


(a) Reward for σ_1



(b) Reward for σ_2

when σ_2 increases to σ'_2




(c) Reward for σ_3

Properties of BRM




Theorem 3 In C^3 , BRM induces a potential game among creators, i.e., there exists a potential function P such that

$$P(\mathbf{s}'_i, \mathbf{s}_{-i}) - P(\mathbf{s}_i, \mathbf{s}_{-i}) = u_i(\mathbf{s}'_i, \mathbf{s}_{-i}) - u_i(\mathbf{s}_i, \mathbf{s}_{-i}).$$

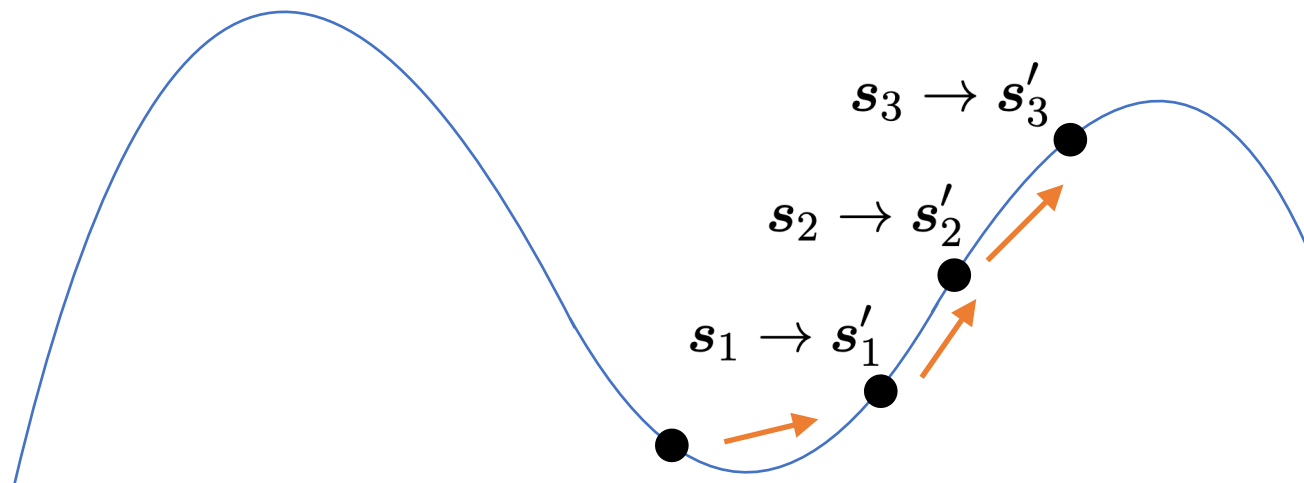
-  Any improvement of each creator's utility leads to an increase of a global potential function P !
- The global maximizer of P corresponds to a pure Nash equilibrium

Theorem 4 There exists a BRM instance such that the induced potential function = social welfare function, i.e., $P=W$.

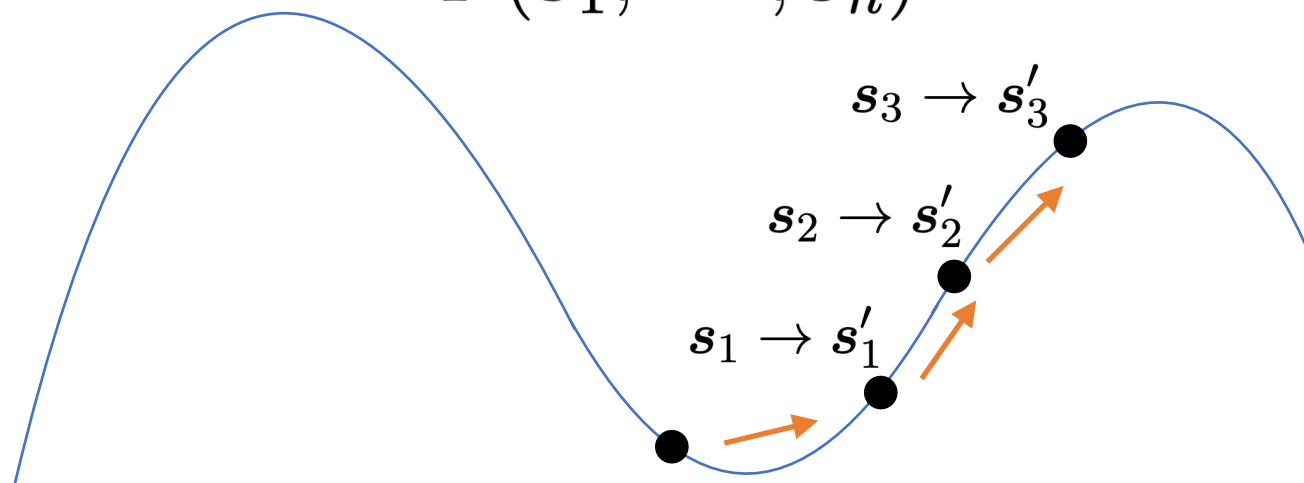
-  In fact, $P=W$ is achieved when $[f_1, \dots, f_n] = [r_1, \dots, r_n]$.

Implications

- When creators **selfishly** optimize their utilities, their **collective** behavior is equivalent to maximizing some function P .
- If **r is known**, we can pick a proper BRM instance to secure a local optimum of social welfare W



$$P(s_1, \dots, s_n)$$

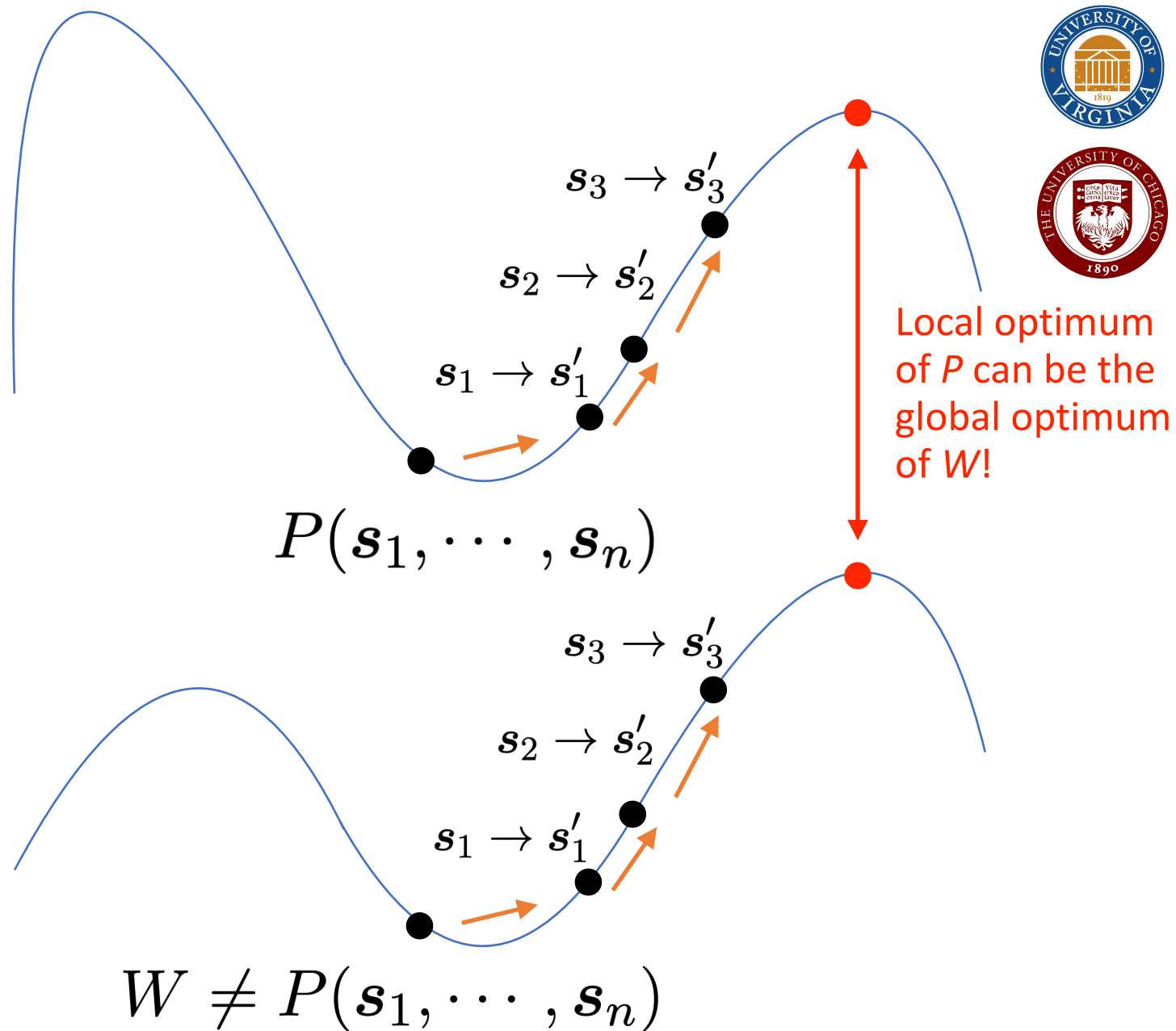


$$W = P(s_1, \dots, s_n)$$



In practice

- r is usually **unknown** or **noisy** so in general $P \neq W$
- We can directly optimize over the BRM space by searching for a **surrogate function P** that helps optimize W .



Optimize W in BRM

$$\begin{aligned} \max_{M \in \text{BRCM}} \quad & W(\mathbf{s}^*(M)) \\ \text{s.t.}, \quad & \mathbf{s}^*(M) = \underset{\mathbf{s}}{\operatorname{argmax}} P(\mathbf{s}; M) \end{aligned}$$

Note: we focus on **BRCM**, a subclass of BRM parameterized by **constant functions**.

- For any $M \in \text{BRCM}$, it induces a potential function P , the resulting equilibrium among creators is $\mathbf{s}^*(M)$
- Solve it with zeroth-order optimization approaches.
 - In practice, we can directly observe $\mathbf{s}^*(M)$ by letting creators evolve a period of time
 - Or we can use a proper offline simulator to estimate $\mathbf{s}^*(M)$

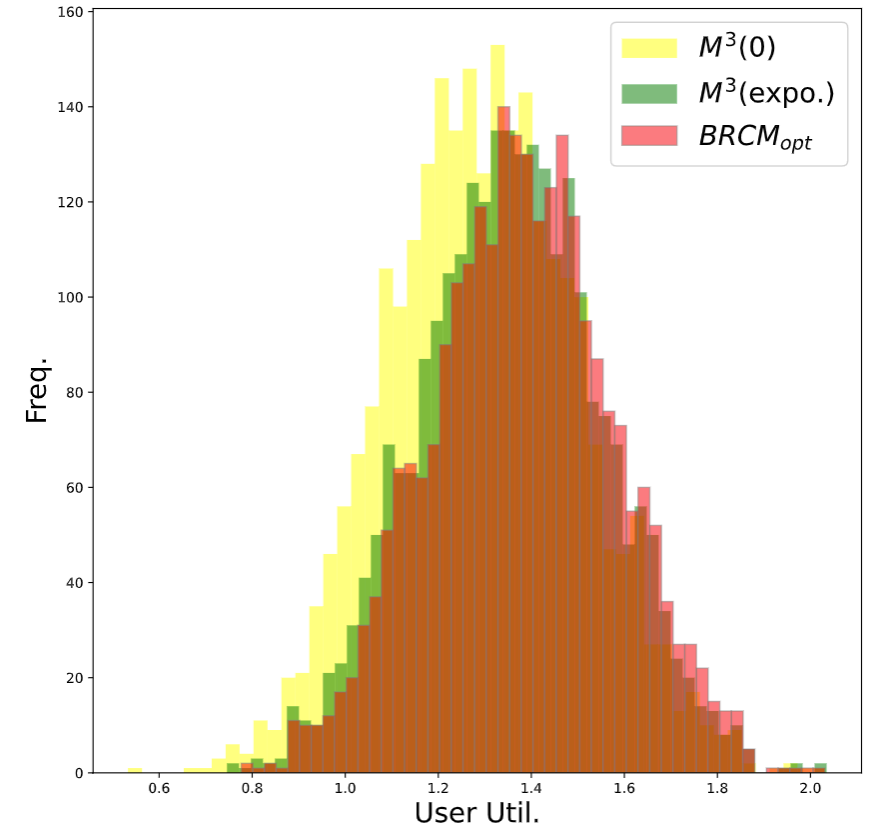
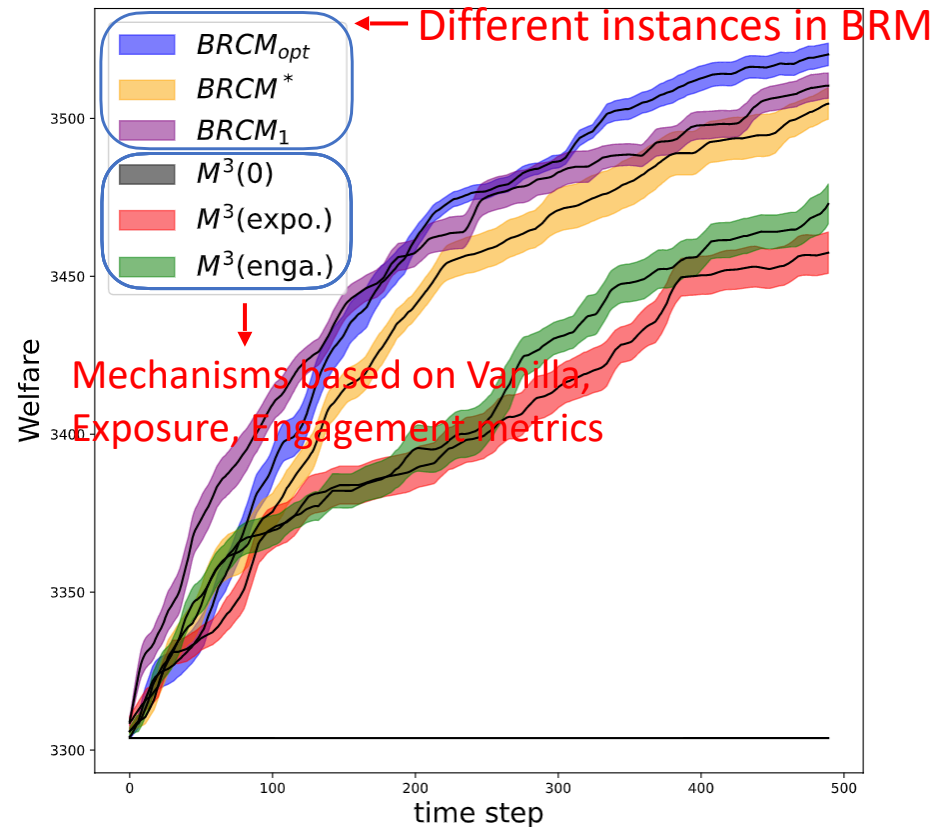


Empirical evaluations



- Environment constructed from MovieLens-1m data

- Creators start at the same greedy strategy and follow projected gradient ascent
- User population generated by Embeddings learned from the dataset



Challenges in real-world deployment



- Creators can figure out best response or achieve no-regret?
- How can we explain BRM to creators?



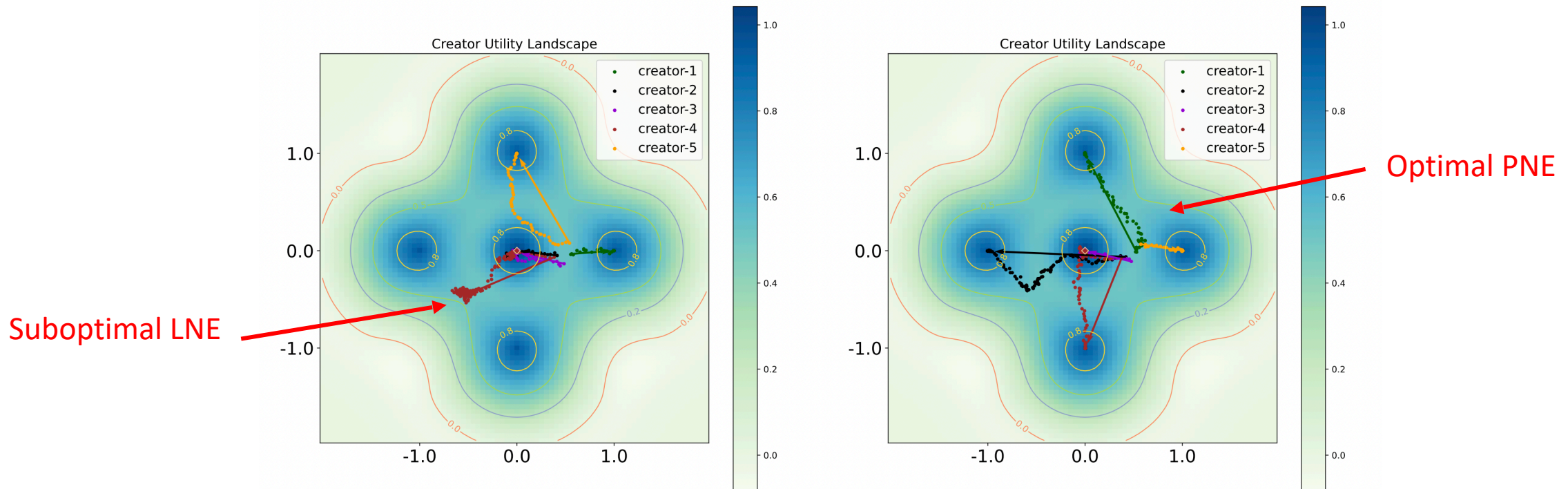
Too good to be true!



Platforms prefer simple merit-based rules!

Inefficiency caused by imperfect creators

- Creators do not have a holistic view of the demand distribution and can only update their strategy locally
- As a result, they might end up at a local Nash equilibrium (LNE)

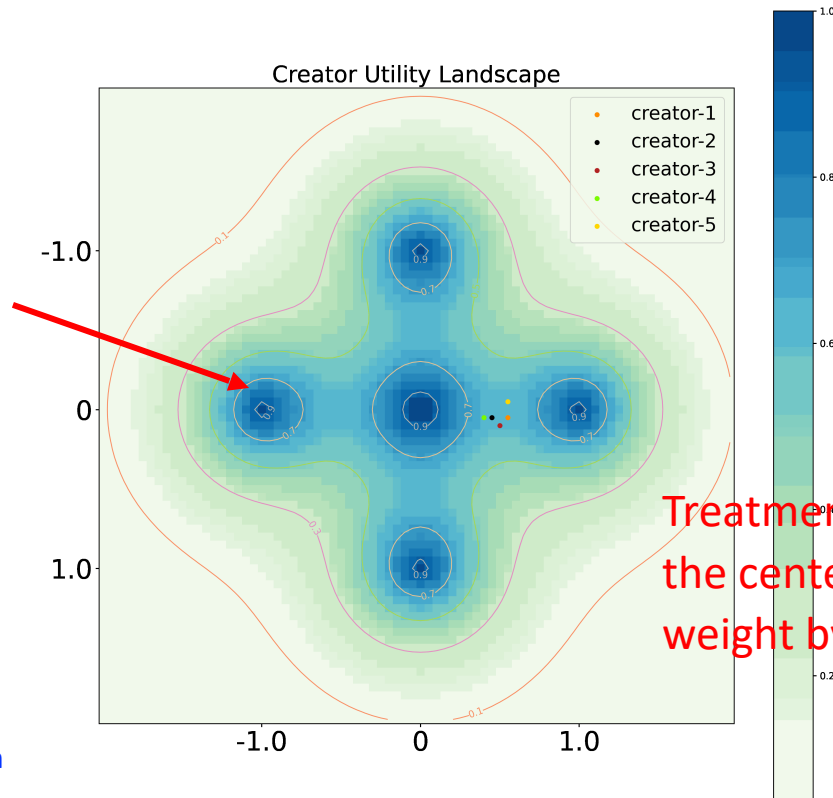


Intervention by user re-weighting

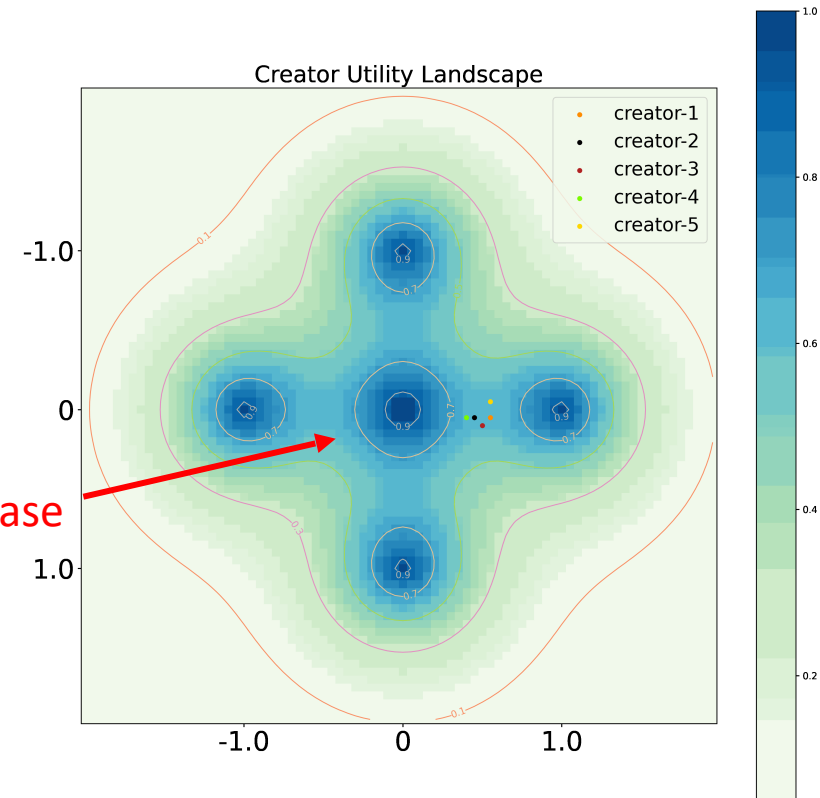
- It is the platform's responsibility to **disseminate** knowledge about users' demand to creators
- A simple mechanism: re-weight the importance of different users



Hard to discover



Treatment: decrease the center user's weight by half



Platform's intervention mechanism



- Control what creators receive from their exposed content

$$u_i(\mathbf{s}) = \sum_{j=1}^m \mathbb{E}[\sigma(\mathbf{s}_i, \mathbf{x}_j) + \varepsilon_i | \mathbf{x}_j \rightarrow \mathbf{s}_i] \cdot \Pr[\mathbf{x}_j \rightarrow \mathbf{s}_i] \cdot w(\mathbf{x}_j)$$

- User importance reweighing (UIR): when the platform possesses the flexibility to design payment incentives for creators

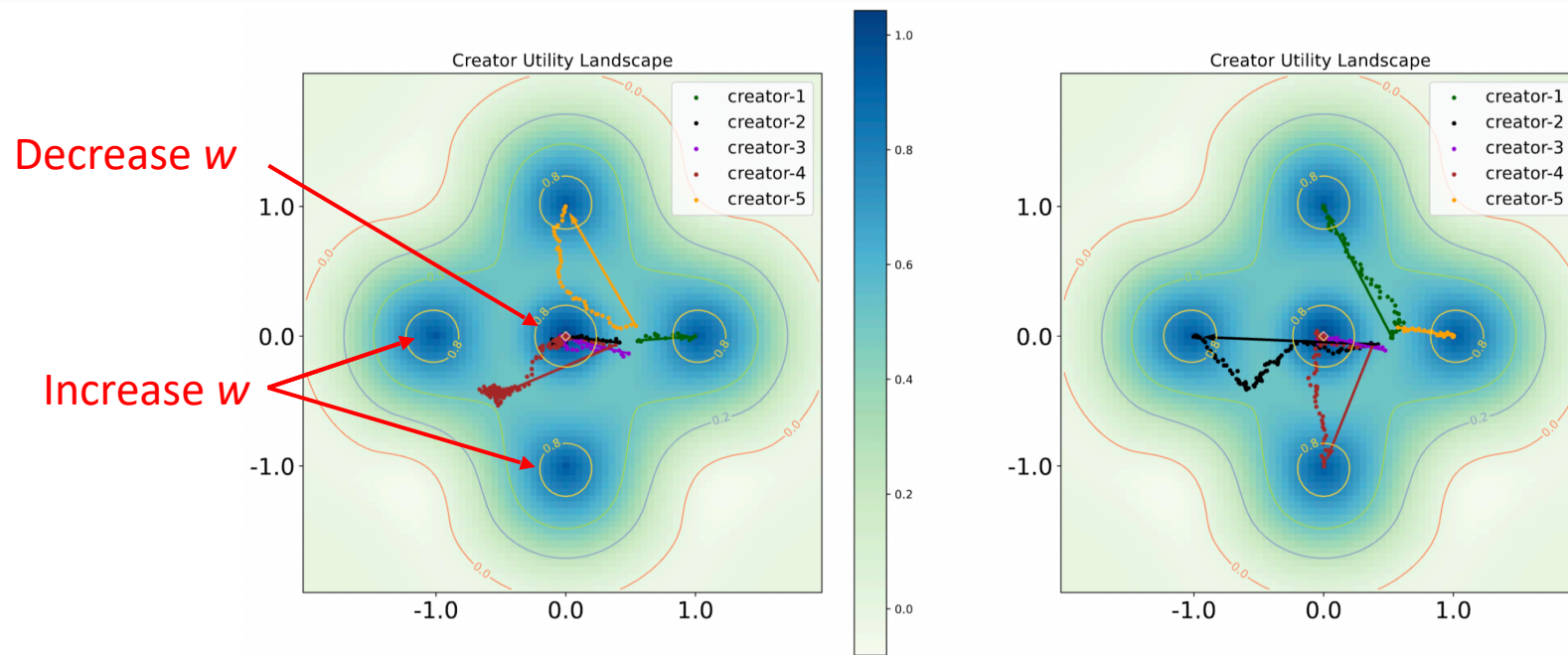
Finding an improving direction



Theorem 5 [Informal]. In C^3 , if the number of creators is sufficiently large and the user population is perfectly separated, the following update improves the social welfare $W(s) = \mathbb{E}_{x \sim \chi}[\sigma(s_x, x)]$ at any local Nash equilibrium s :

$$w'_j = w_j \cdot e^{-\eta \bar{\pi}(x_j)}, \forall j \in [m],$$

where $\bar{\pi}(x_j)$ is the expected utility of user x_j at s .



Platform's intervention mechanisms



- Welfare optimization through adaptive reweighing
 - Emphasize more on user groups who are currently under served

$$w^{(t+1)}(\mathbf{s}) \propto w^{(t)}(\mathbf{s}) \cdot \exp\left(-\alpha \bar{\pi}^{(t)}(\mathbf{s})\right)$$

↑
New weights for user groups

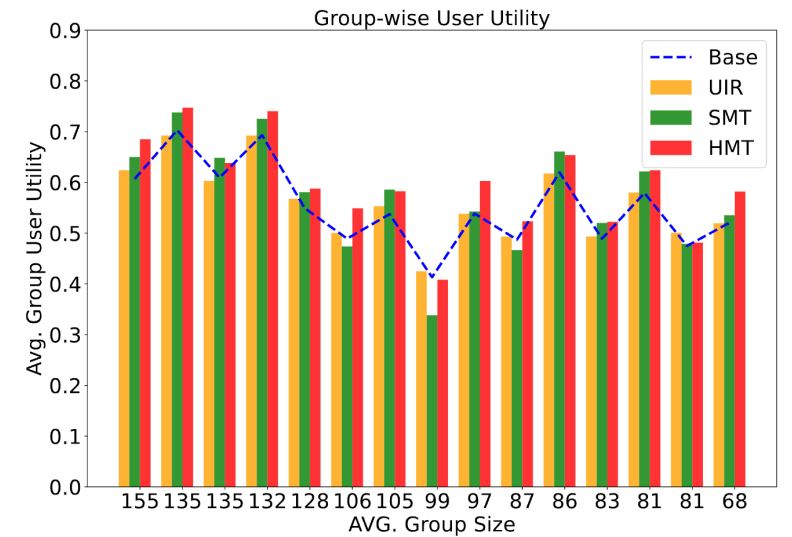
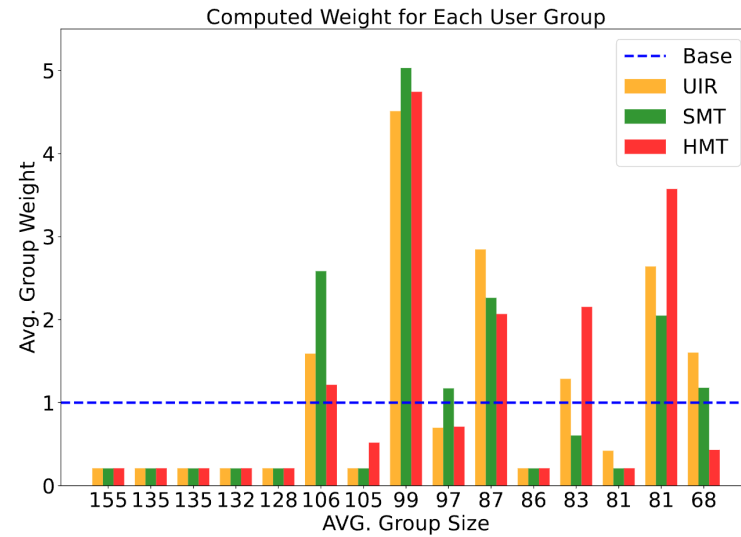
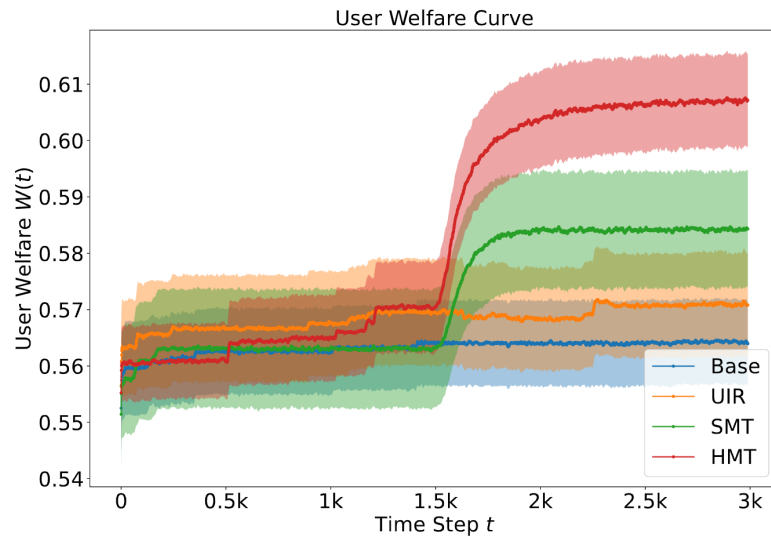
↑
Current utility in each user group

$$\bar{\pi}_l(\mathbf{s}) = \frac{1}{m|G_l|} \sum_{\mathbf{x} \in G_l} \sum_{i=1}^m \pi(\mathbf{x}; \mathbf{s}_i)$$

Evaluation on offline data



- User welfare optimization on MovieLens dataset

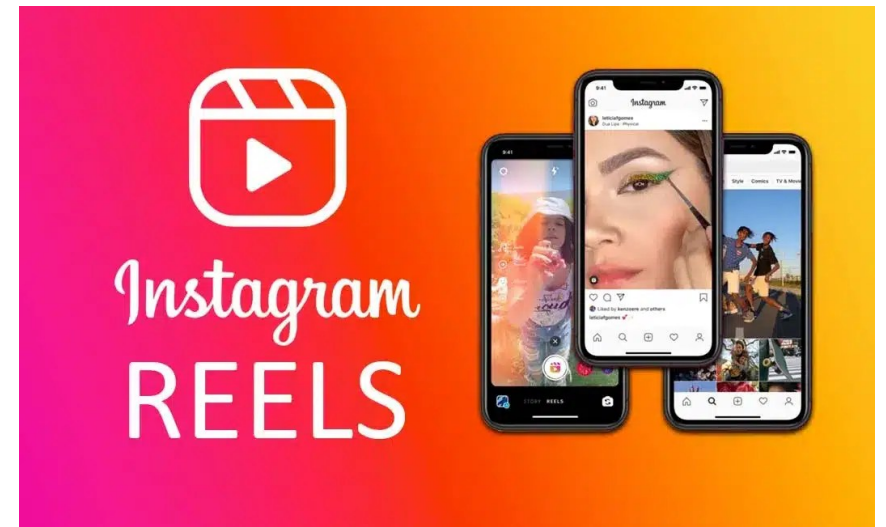


Improved total user welfare by helping creators discover users' need

Evaluation on real traffics



- Experiment on a leading short video recommendation platform
 - welfare metric: like-through-rate
 - 3-week study
 - Symmetric A/B test: exclusively pair 3% creators with 3% users from the entire platform
 - Cluster users into 10k groups by multiple characteristics
 - Demographics: country, gender, race, occupation, etc.
 - Level of activeness: video consumption volume and watch time



Evaluation on real traffics



- User welfare optimization targeted at Like-Through-Rate

Each cluster occupies 25% traffic

User Groups	1-5	6-20	21-74	75+	TOTAL
Like-Through-Rate	+0.43%	+1.40%	+0.75%	+1.36%	+1.13%
Impression	+2.64%	+0.62%	+1.42%	+0.11%	+0.76%

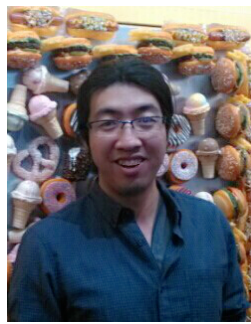
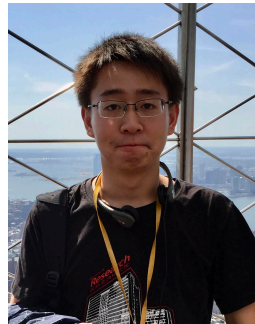
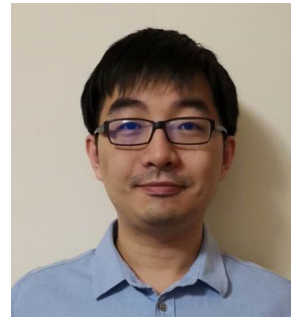
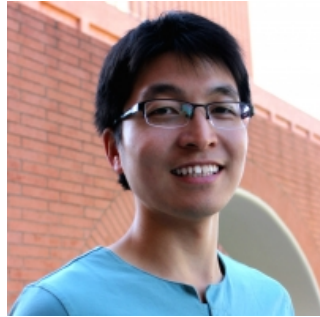
- **3.7%** increase in impressions on fresh content created within 2 hours
- Average number of consumed topic per user increased by **0.71**
- An increasing trend of daily active creators
 - Head creators increased by **0.17%**, others increased by **0.06%**
 - **0.48%** increase in the third week of experiment period

Takeaways



- What we learned
 - Welfare optimization in general is hard
 - But it is possible to design mechanisms that leads to welfare improvement
 - Human behavior modeling is a double edged sword
- Future directions:
 - Modeling the dynamics by incorporating the preference shift among users
 - How does GenAI-based creators reshape the competition dynamics

Acknowledgement



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